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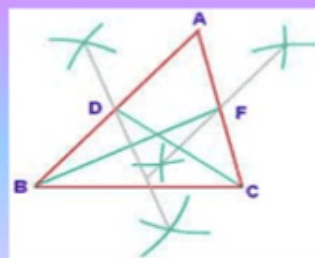
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NCERT Class 9 Solutions: Constructions (Chapter 11) Exercise 11.2

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CONSTRUCTION OF TRIANGLES

A triangle can be constructed when the base, one base angle and the sum of the other two sides are given or given its base, a base angle and the difference between the other two sides or given its perimeter and two base angles.



Q-1 Construct a triangle JAB in which $AB = 7\text{cm}$, $\angle A = 75^\circ$ and $JA + JB = 13\text{cm}$.

Solution:

Image Title: Triangle JAB

Image Description: Triangle JAB, $AB = 7\text{cm}$, $\angle A = 75^\circ$ and $JA + JB = 13\text{cm}$

Give, $\triangle ABC$, $AB = 7\text{ cm}$, $\angle A = 75^\circ$ and $JA + JB = 13\text{ cm}$

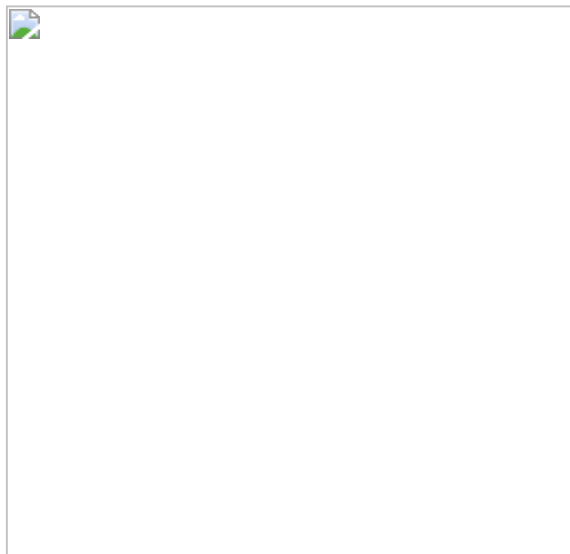
Step of Construction

- A line segment AB of 7 cm is drawn.
- At point A , an angle $\angle CAB$ is constructed such that it is equal to 75° .
- A line segment $AD = 13\text{ cm}$ is cut on AC (which is equal to $JA + JB$).
- DB is joined and $\angle DBE = \angle ADB$ is made.
- Let BE intersect AC at J .

Thus, required triangle is $\triangle JAB$

Q-2 Construct a triangle DAB in which $AB = 8\text{ cm}$, $\angle A = 45^\circ$ and $AD - DB = 3.5\text{ cm}$.

Solution:



Give $\triangle DAB$, $AB = 8\text{ cm}$, $\angle A = 45^\circ$ and $AD - DB = 3.5\text{ cm}$

Steps of Construction

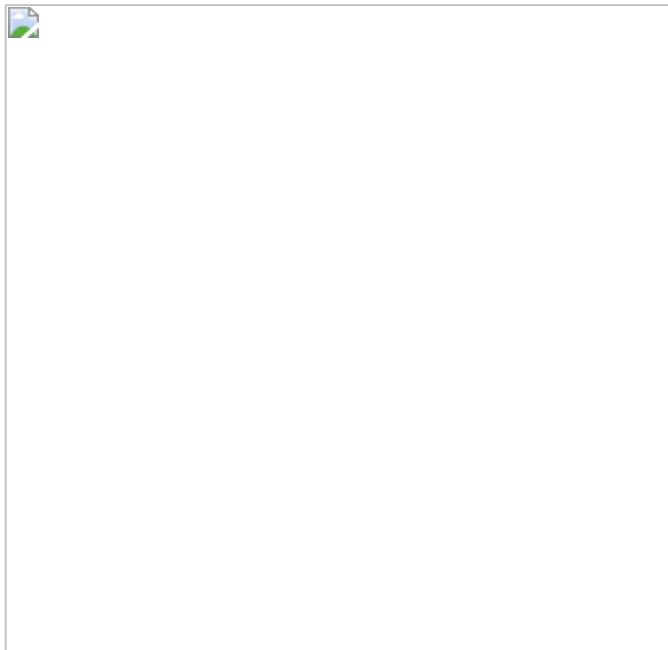
- A line segment $AB = 8\text{ cm}$ is drawn and at point A , make an angle of 45° i.e., $\angle CAB$.
- Cut the line segment $AG = 3.5\text{ cm}$ (equal to $DA - DB$) on ray AC .

- Join GB and draw the perpendicular bisector PQ of GB.
- Let it intersect AC at point D. Join DB.

Thus, $\triangle DAB$ is the required triangle.

Q-3 Construct a triangle EAR in which $AR = 6\text{cm}$, $\angle A = 60^\circ$ and $PR - EA = 2\text{cm}$.

Solution:



Give, Triangle EAR, $AR = 6\text{cm}$, $\angle A = 60^\circ$ and $PR - EA = 2\text{cm}$.

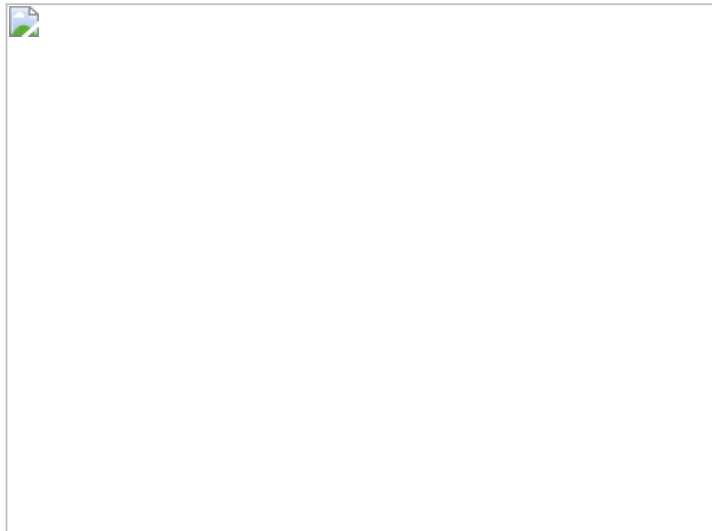
Steps of Construction

- A ray AX is drawn and cut off a line segment $AR = 6\text{ cm}$ from it.
- A ray AY is constructed making an angle of 60° with AR and YA is produced to form a line YAY'
- Cut off a line segment $AB = 2\text{cm}$ from AY'. RB is joined.
- Draw perpendicular bisector of RB intersecting AY at a point E. ER is joined.

Thus, $\triangle EAR$ is the required triangle.

Q-4 Construct a triangle HFI in which $\angle F = 30^\circ$, $\angle I = 90^\circ$ and $HF + FI + IH = 11 \text{ cm}$.

Solution:



Give, Triangle HFI $\angle F = 30^\circ$, $\angle I = 90^\circ$ and $HF + FI + IH = 11 \text{ cm}$.

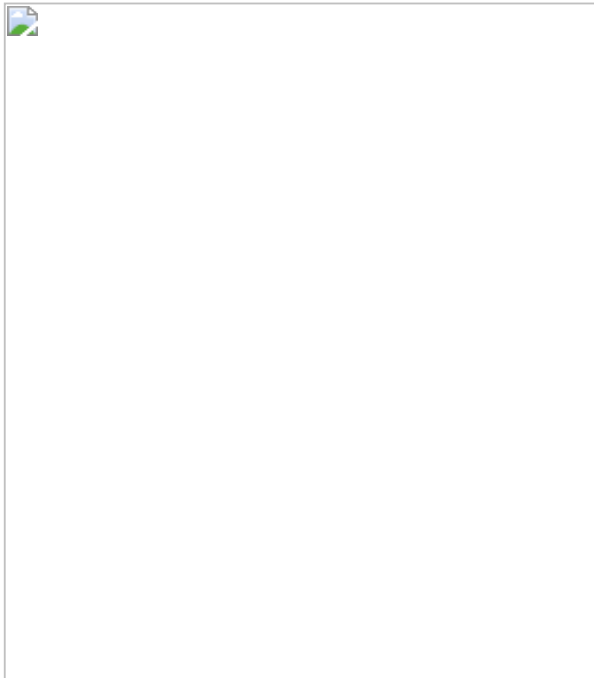
Steps of Construction:

- A line segment $CA = 11 \text{ cm}$ is drawn. ($HF + FI + IH = 11 \text{ cm}$)
- An angle, $\angle DCA = 30^\circ$ and an angle $\angle BAC = 90^\circ$.
- $\angle DCA$ And $\angle BAC$ are bisected. The bisectors of these angles intersect each other at point H.
- Perpendicular bisectors PQ of CH and RV of AH are constructed.
- Let PQ intersect CA at F and RV intersect CA at I. FH and HI are joined.

Thus, $\triangle HFI$ is the required triangle.

Q-5 Construct a right triangle whose base is 12cm and sum of its hypotenuse and other side is 18 cm.

Solution:



Give, right triangle base 12 cm and othrside is 18 cm

Steps of Construction:

- A ray AX is drawn and a cut off a line segment $AJ = 12\text{ cm}$ is made on it.
- $\angle XAY = 90^\circ$ is constructed.
- Cut off a line segment $AQ = 18\text{ cm}$ is made on AY . JQ is joined.
- Perpendicular bisector of JQ is constructed intersecting AQ at P . PJ is joined.
- Thus, $\triangle PAJ$ is the required triangle.